

# A Generalized Net Model of the Abdominal Aorta and Its Branches as a Part of the Vascular System

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**Abstract.** In a series of papers, Generalized Net (GN) models of the ways of functioning of the different systems and organs in the human body are described in general. Each GN model of a particular system or organ can be detailed and made more complex. In this paper a GN model of the abdominal aorta and its branches of the vascular system is proposed.

**Keywords:** Generalized nets, Modelling, Abdominal aorta, Vascular system.

## 1 Introduction

The heart together with the blood vessels – arteries, veins and lymph vessels – form the Cardiovascular System (CVS) [10, 13, 26]. The life of every human being begins with the first contraction (systole) of the heart and ends with the last. The main function of the CVS is to transport the blood which is the base of the exchange processes of the organism. Despite the fact that blood is a complex colloid and the blood vessels are much more different in terms of structure and properties than the ordinary water-pipes, to a vast degree the blood circulation is subject to the laws of hydrodynamics, but with some specific features. Because of this, the blood circulation in the blood vessels is defined as hemodynamics. The heart resembles a pump with an infinite displacement because the system is closed and inside the system a certain quantity of blood circulates but with different quality and functions – arterial or venous. As a result of the exchange processes in the tissues, the arterial blood becomes venous and the venous blood

becomes arterial by absorbing the blood from the liver (nutrients) and the oxygen in the lungs (releasing carbon dioxide at the same time).

For practical purposes, the blood circulation in the arterial system is of special importance because the problems arising here are the most dangerous and oftentimes lead to irreparable consequences and death. The venous and lymph systems have to a greater degree collective and draining functions, and the diseases, connected to them, in most cases have chronic character and only in some cases emergency interventions are required. Therefore, with the aim of avoiding the unnecessary complication, our efforts are aimed at the construction of a mathematical model only of the arterial system. The venous system will be included only schematically with the aim of completing the cycle of the blood circulation and making sense of the significance of the heart as a main force behind the processes of the CVS.

The CVS is a complex system working thanks to many fine mechanisms for regulation and adaptation according to the inner environment of the organism and the outer environment. Certain laws exist both at the level of separate organs, and at the organism level, which determine the correct and effective function of the CVS. Apart from this, the complexity and diversity of the CVS pathology should be taken into account. The gained empiric experience, the scientific discoveries in this field, the numerous medicaments and invasive technologies allow for a relatively effective treatment. However, medical science is still far away from the complete understanding of this complex system.

Modelling the CVS gives the possibilities to evaluate its parameters and to analyze its behavior and functioning [12, 14, 28]. In the present paper, for the construction of the model the theory of the Generalized Nets (GNs, see [1]) is used. A lot of GN models of the different systems and organs in the human body are described in [2, 4–9, 15–25]. Most of them were collected in the book [3]. In this paper, a GN model of the abdominal aorta and its branches as a part of the vascular system is constructed. Using hierarchical operators from the GN theory, it can be used as a subnet of the GN model of the vascular system presented in [3]. The anatomical segmentation of the aorta as a main artery of the human body is important, because these segments are analyzed separately in the context of diagnosing aortic disease [27]. The abdominal aorta begins at the level of the diaphragm [26, 10, 11]. The main arteries arising from the abdominal aorta are the common and internal iliac arteries, the common and superficial femoral arteries, the anterior and posterior tibial arteries, and the peroneal artery.

## 2 A generalized net model of the abdominal aorta and its branches as a part of the vascular system

The GN-model contains 24 transitions and 50 places. The following types of tokens are used:

- $\alpha$ -tokens – they represent the blood in the arteries and capillaries, i.e., before the metabolism;

- $\beta$ -tokens – they represent the blood in the veins, i.e., after the metabolism;
  - $\chi$ -token – it represents the heart;
  - $\mu_1, \mu_2, \dots, \mu_{11}$ -tokens – they represent the human body matter in which metabolism processes flow as follows:
    - $\mu_1$ -token represents the abdominal aorta;
    - $\mu_2$ - and  $\mu_3$ -tokens represent the left and the right internal iliac artery;
    - $\mu_4$ - and  $\mu_5$ -tokens represent the left and the right profunda femoris artery;
    - $\mu_6$ - and  $\mu_9$ -tokens represent the left and the right peronial artery;
    - $\mu_7$ - and  $\mu_{10}$ -tokens represent the left and the right left anterior artery;
    - $\mu_8$ - and  $\mu_{11}$ -tokens represent the left and the right posterior artery.
- Each one of these tokens obtain as a characteristic:

“blood, quantity, time-moment”.

The transitions of the GN represent the following functions:

- $Z_1$  – the functions of the heart;
- $Z_2$  – the functions of the abdominal aorta;
- $Z_3$  and  $Z_4$  – the functions of the left/right common iliac artery;
- $Z_5$  and  $Z_6$  – the functions of the left/right internal iliac artery;
- $Z_8$  and  $Z_9$  – the functions of the left/right common femoral artery;
- $Z_{11}$  and  $Z_{12}$  – the functions of the left/right profunda femoris artery;
- $Z_{14}$  and  $Z_{15}$  – the functions of the left/right superficial femoral artery;
- $Z_{17}$  and  $Z_{20}$  – the functions of the left/right peronial artery;
- $Z_{18}$  and  $Z_{21}$  – the functions of the left/right anterior tibial artery;
- $Z_{19}$  and  $Z_{22}$  – the functions of the left/right posterior tibial artery;
- $Z_7, Z_{10}, Z_{13}, Z_{16}, Z_{23}, Z_{24}$  – the functions of the veins after metabolism.

Below is a formal description of the GN-transitions.

$$Z_1 = \langle \{l_2, l_3\}, \{l_1, l_2\},$$

	$l_1$	$l_2$
$l_2$	<i>true</i>	<i>true</i>
$l_3$	<i>false</i>	<i>true</i>

$$\rangle.$$

At each time-step, token from place  $l_3$  enters place  $l_2$  and unites with token  $\chi$  and simultaneously, token  $\chi$  splits to two tokens - the same token  $\chi$  and a token  $\alpha$  that enters place  $l_1$ .

$$Z_2 = \langle \{l_1, l_6, l_{15}, l_{20}\}, \{l_3, l_4, l_5, l_6\},$$

	$l_3$	$l_4$	$l_5$	$l_6$
$l_1$	<i>false</i>	<i>true</i>	<i>true</i>	<i>true</i>
$l_6$	<i>true</i>	<i>false</i>	<i>false</i>	<i>true</i>
$l_{15}$	<i>false</i>	<i>false</i>	<i>false</i>	<i>true</i>
$l_{20}$	<i>false</i>	<i>false</i>	<i>false</i>	<i>true</i>

$$\rangle.$$

At each time-step, token  $\alpha$  from place  $l_1$  splits to three  $\alpha$ -tokens: the first of them enters place  $l_6$  and unites with token  $\mu_1$  that obtains the above mentioned characteristic; the other two  $\alpha$ -tokens enter places  $l_4$  and  $l_5$ . In the same time-moment, token  $\mu_1$  splits to two tokens - the same token  $\mu_1$  and a token  $\beta$  that enters place  $l_3$ , where it unites with the  $\beta$ -tokens from places  $l_{15}$  and  $l_{20}$ .

$$Z_3 = \langle \{l_4\}, \{l_7, l_8\}, \\ \frac{l_7 \quad l_8}{l_4 | \text{true true}} \rangle.$$

At each time-step, token from place  $l_4$  splits to two  $\alpha$ -tokens that enter places  $l_7$  and  $l_8$ .

$$Z_4 = \langle \{l_5\}, \{l_9, l_{10}\}, \\ \frac{l_9 \quad l_{10}}{l_5 | \text{true true}} \rangle.$$

At each time-step, token from place  $l_5$  splits to two  $\alpha$ -tokens that enter places  $l_9$  and  $l_{10}$ .

$$Z_5 = \langle \{l_7, l_{11}\}, \{l_{11}, l_{12}\}, \\ \frac{l_{11} \quad l_{12}}{l_7 | \text{true false}} \rangle. \\ l_{11} | \text{true true}$$

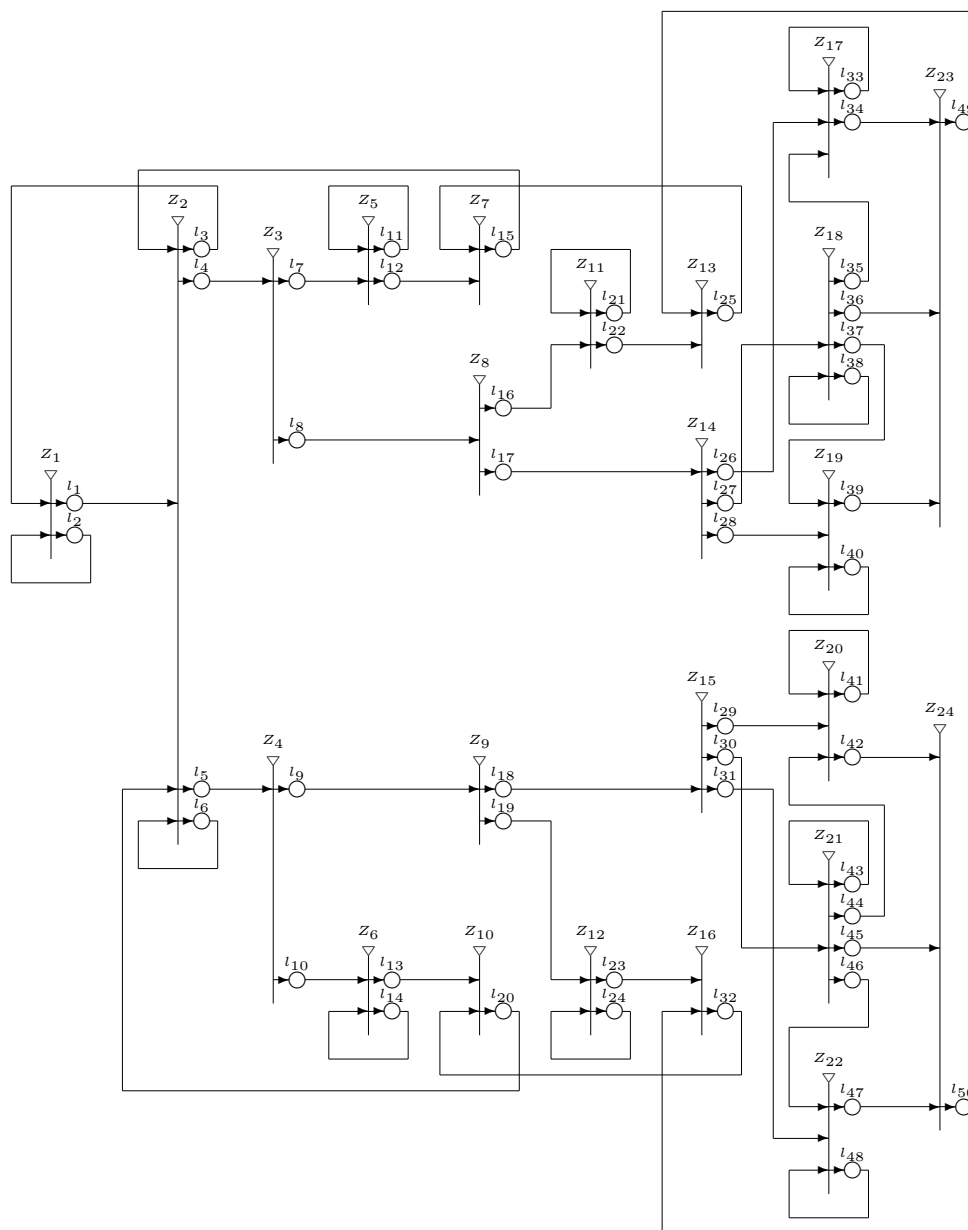
At each time-step, the  $\alpha$ -token from place  $l_7$  enters place  $l_{11}$  and unites with token  $\mu_2$  and simultaneously, token  $\mu_2$  splits to two tokens - the same token  $\mu_2$  and a token  $\beta$  that enters place  $l_{12}$ .

$$Z_6 = \langle \{l_{10}, l_{14}\}, \{l_{13}, l_{14}\}, \\ \frac{l_{13} \quad l_{14}}{l_{10} | \text{false true}} \rangle. \\ l_{14} | \text{true true}$$

At each time-step, the  $\alpha$ -token from place  $l_{10}$  enters place  $l_{14}$  and unites with token  $\mu_2$  and simultaneously, token  $\mu_2$  splits to two tokens - the same token  $\mu_2$  and a token  $\beta$  that enters place  $l_{13}$ .

$$Z_7 = \langle \{l_{12}, l_{25}\}, \{l_{15}\}, \\ \frac{l_{15}}{l_{12} | \text{true}} \rangle. \\ l_{25} | \text{true}$$

At each time-step, the  $\beta$ -tokens from places  $l_{12}$  and  $l_{25}$  enter place  $l_{15}$  where they unite in a  $\beta$ -token.



**Fig. 1.** Graphical representation of the GN model of the abdominal aorta and its branches as a part of the vascular system.

$$Z_8 = \langle \{l_8\}, \{l_{16}, l_{17}\}, \\ \frac{\begin{array}{c|cc} & l_{16} & l_{17} \\ \hline l_8 & true & true \end{array}}{\rangle}.$$

At each time-step, the  $\alpha$ -token from place  $l_8$  splits to two  $\alpha$ -tokens that enter places  $l_{16}$  and  $l_{17}$ .

$$Z_9 = \langle \{l_9\}, \{l_{18}, l_{19}\}, \\ \frac{\begin{array}{c|cc} & l_{18} & l_{19} \\ \hline l_9 & true & true \end{array}}{\rangle}.$$

At each time-step, the  $\alpha$ -token from place  $l_9$  splits to two  $\alpha$ -tokens that enter places  $l_{18}$  and  $l_{19}$ .

$$Z_{10} = \langle \{l_{13}, l_{32}\}, \{l_{20}\}, \\ \frac{\begin{array}{c|c} & l_{20} \\ \hline l_{13} & true \end{array}}{l_{32} | true} \rangle.$$

At each time-step, the  $\beta$ -tokens from places  $l_{13}$  and  $l_{32}$  enter place  $l_{20}$  where they unite in a  $\beta$ -token.

$$Z_{11} = \langle \{l_{16}, l_{21}\}, \{l_{21}, l_{22}\}, \\ \frac{\begin{array}{c|cc} & l_{21} & l_{22} \\ \hline l_{16} & true & false \end{array}}{l_{21} | true \quad true} \rangle.$$

At each time-step, the  $\alpha$ -token from place  $l_{16}$  enters place  $l_{21}$  and unites with token  $\mu_4$  and simultaneously, token  $\mu_4$  splits to two tokens - the same token  $\mu_4$  and a token  $\beta$  that enters place  $l_{22}$ .

$$Z_{12} = \langle \{l_{19}, l_{24}\}, \{l_{23}, l_{24}\}, \\ \frac{\begin{array}{c|cc} & l_{23} & l_{24} \\ \hline l_{19} & false & true \end{array}}{l_{24} | true \quad true} \rangle.$$

At each time-step, the  $\alpha$ -token from place  $l_{19}$  enters place  $l_{24}$  and unites with token  $\mu_5$  and simultaneously, token  $\mu_5$  splits to two tokens - the same token  $\mu_5$  and a token  $\beta$  that enters place  $l_{23}$ .

$$Z_{13} = \langle \{l_{22}, l_{49}\}, \{l_{25}\}, \\ \frac{\begin{array}{c|c} & l_{25} \\ \hline l_{22} & true \end{array}}{l_{49} | true} \rangle.$$

At each time-step, the  $\beta$ -tokens from places  $l_{22}$  and  $l_{49}$  enter place  $l_{25}$  where they unite in a  $\beta$ -token.

$$Z_{14} = \langle \{l_{17}\}, \{l_{26}, l_{27}, l_{28}\}, \\ \frac{}{l_{17}} \left| \begin{array}{ccc} l_{26} & l_{27} & l_{28} \\ \hline true & true & true \end{array} \right. \rangle.$$

At each time-step, token  $\alpha$  from place  $l_{17}$  splits to three  $\alpha$ -tokens that enter places  $l_{26}$ ,  $l_{27}$  and  $l_{28}$ .

$$Z_{15} = \langle \{l_{18}\}, \{l_{29}, l_{30}, l_{31}\}, \\ \frac{}{l_{18}} \left| \begin{array}{ccc} l_{29} & l_{30} & l_{31} \\ \hline true & true & true \end{array} \right. \rangle.$$

At each time-step, token  $\alpha$  from place  $l_{18}$  splits to three  $\alpha$ -tokens that enter places  $l_{29}$ ,  $l_{30}$  and  $l_{31}$ .

$$Z_{16} = \langle \{l_{23}, l_{50}\}, \{l_{32}\}, \\ \frac{}{l_{23} \quad l_{50}} \left| \begin{array}{c} l_{32} \\ \hline true \end{array} \right. \rangle.$$

At each time-step, the  $\beta$ -tokens from places  $l_{23}$  and  $l_{50}$  enter place  $l_{32}$  where they unite in a  $\beta$ -token.

$$Z_{17} = \langle \{l_{26}, l_{33}, l_{35}\}, \{l_{33}, l_{34}\}, \\ \frac{}{l_{26} \quad l_{33} \quad l_{35}} \left| \begin{array}{cc} l_{33} & l_{34} \\ \hline true & false \\ true & true \end{array} \right. \rangle.$$

At each time-step, the  $\alpha$ -token from place  $l_{26}$  enters place  $l_{33}$  and unites with token  $\mu_6$  and simultaneously, token  $\mu_6$  splits to two tokens - the same token  $\mu_6$  and a  $\beta$ -token that enters place  $l_{34}$ . When there is an  $\alpha$ -token in place  $l_{35}$ , it enters place  $l_{33}$  and unites with token  $\mu_6$ .

$$Z_{18} = \langle \{l_{27}, l_{38}\}, \{l_{35}, l_{36}, l_{37}, l_{38}\}, \\ \frac{}{l_{27} \quad l_{38}} \left| \begin{array}{cccc} l_{35} & l_{36} & l_{37} & l_{38} \\ \hline W_{27,35} & false & W_{27,37} & true \\ false & true & false & true \end{array} \right. \rangle,$$

where

$W_{27,35}$  = "there is necessity for blood for the left peronial artery",

$W_{27,37}$  = "there is necessity for blood for the left posterior tibial artery".

At each time-step, the  $\alpha$ -token from place  $l_{27}$  enters place  $l_{38}$  and unites with token  $\mu_7$  and simultaneously, token  $\mu_7$  splits to two tokens - the same token  $\mu_7$

and a  $\beta$ -token that enters place  $l_{36}$ . When  $W_{27,35} = \text{true}$  and/or  $W_{27,37} = \text{true}$ , the  $\alpha$ -token from place  $l_{27}$  splits to one of two additional  $\alpha$ -tokens that enter places  $l_{35}$  and/or  $l_{37}$ , respectively, depending on the truth-values of predicates  $W_{27,35}$  and  $W_{27,37}$ .

$$Z_{19} = \langle \{l_{28}, l_{37}, l_{40}\}, \{l_{39}, l_{40}\},$$

$$\begin{array}{c|cc} & l_{39} & l_{40} \\ \hline l_{28} & \text{false} & \text{true} \\ l_{40} & \text{true} & \text{true} \\ l_{37} & \text{false} & \text{true} \end{array} \rangle.$$

At each time-step, the  $\alpha$ -token from place  $l_{28}$  enters place  $l_{40}$  and unites with token  $\mu_8$  and simultaneously, token  $\mu_8$  splits to two tokens - the same token  $\mu_8$  and a  $\beta$ -token that enters place  $l_{39}$ . When there is an  $\alpha$ -token in place  $l_{37}$ , it enters place  $l_{40}$  and unites with token  $\mu_8$ .

$$Z_{20} = \langle \{l_{29}, l_{41}, l_{44}\}, \{l_{41}, l_{42}\},$$

$$\begin{array}{c|cc} & l_{41} & l_{42} \\ \hline l_{29} & \text{true} & \text{false} \\ l_{41} & \text{true} & \text{true} \\ l_{44} & \text{true} & \text{false} \end{array} \rangle.$$

At each time-step, the  $\alpha$ -token from place  $l_{29}$  enters place  $l_{41}$  and unites with token  $\mu_9$  and simultaneously, token  $\mu_9$  splits to two tokens - the same token  $\mu_9$  and a  $\beta$ -token that enters place  $l_{42}$ . When there is an  $\alpha$ -token in place  $l_{44}$ , it enters place  $l_{41}$  and unites with token  $\mu_9$ .

$$Z_{21} = \langle \{l_{30}, l_{43}\}, \{l_{43}, l_{44}, l_{45}, l_{46}\},$$

$$\begin{array}{c|cccc} & l_{43} & l_{44} & l_{45} & l_{46} \\ \hline l_{30} & \text{true} & W_{30,44} & \text{false} & W_{30,46} \\ l_{43} & \text{true} & \text{false} & \text{true} & \text{false} \end{array} \rangle,$$

where

$W_{30,44}$  = “there is necessity for blood for the right peronial artery. ”,

$W_{30,46}$  = “there is necessity for blood for the right posterior tibial artery”.

At each time-step, the  $\alpha$ -token from place  $l_{30}$  enters place  $l_{43}$  and unites with token  $\mu_{10}$  and simultaneously, token  $\mu_{10}$  splits to two tokens - the same token  $\mu_{10}$  and a  $\beta$ -token that enters place  $l_{45}$ . When  $W_{30,44} = \text{true}$  and/or  $W_{30,46} = \text{true}$ , the  $\alpha$ -token from place  $l_{30}$  splits to one of two additional  $\alpha$ -tokens that enter places  $l_{44}$  and/or  $l_{46}$ , respectively, in respect of the truth-values of predicates  $W_{30,44}$  and  $W_{30,46}$ .

$$Z_{22} = \langle \{l_{31}, l_{46}, l_{48}\}, \{l_{47}, l_{48}\},$$



$$\begin{array}{c|cc} & l_{47} & l_{48} \\ \hline l_{31} & false & true \\ l_{48} & true & true \\ l_{46} & false & true \end{array}.$$

At each time-step, the  $\alpha$ -token from place  $l_{31}$  enters place  $l_{48}$  and unites with token  $\mu_{11}$  and simultaneously, token  $\mu_{11}$  splits to two tokens - the same token  $\mu_{11}$  and a  $\beta$ -token that enters place  $l_{47}$ . When there is an  $\alpha$ -token in place  $l_{46}$ , it enters place  $l_{48}$  and unites with token  $\mu_{11}$ .

$$Z_{23} = \langle \{l_{34}, l_{36}, l_{39}\}, \{l_{49}\},$$

$$\begin{array}{c|c} & l_{49} \\ \hline l_{34} & true \\ l_{36} & true \\ l_{39} & true \end{array}.$$

At each time-step, the  $\beta$ -tokens from places  $l_{34}, l_{36}$  and  $l_{39}$  enter place  $l_{49}$  where they unite in a  $\beta$ -token.

$$Z_{24} = \langle \{l_{42}, l_{45}, l_{47}\}, \{l_{50}\},$$

$$\begin{array}{c|c} & l_{50} \\ \hline l_{42} & true \\ l_{45} & true \\ l_{47} & true \end{array}.$$

At each time-step, the  $\beta$ -tokens from places  $l_{42}, l_{45}$  and  $l_{47}$  enter place  $l_{50}$  where they unite in a  $\beta$ -token.

### 3 Conclusion

In the present paper, a GN model of the abdominal aorta and its branches as a part of the vascular system is presented. The purpose of the construction of the GN model of the CVS is to complement and enrich the knowledge about the CVS, or at least about a part of it. Objective criteria and parameters can be chosen which through the GN model would give us a clearer understanding about the state of the CVS, presence and weight of the pathology, the risk degree and a relatively correct prognosis for the development of one disease or another.

In our future research, we intend to construct a GN model of the aortic arch branches of the CVS as a continuation of our work on the modeling of systems and organs of the human body with GNs.

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